Name $\qquad$ _

Date $\qquad$

## Lesson 7: Sequencing Translations

## Exit Ticket

Use the picture below to answer Problems 1 and 2.

1. Describe a sequence of translations that would map Figure $H$ onto Figure $K$.

2. Describe a sequence of translations that would map Figure $J$ onto itself.
$\qquad$ Date $\qquad$

## Lesson 8: Sequencing Reflections and Translations

## Exit Ticket

Draw a figure, $A$, a line of reflection, $L$, and a vector $\overrightarrow{F G}$ in the space below. Show that under a sequence of a translation and a reflection, that the sequence of the reflection followed by the translation is not equal to the translation followed by the reflection. Label the figure as $A^{\prime}$ after finding the location according to the sequence reflection followed by the translation, and label the figure $A^{\prime \prime}$ after finding the location according to the composition translation followed by the reflection. If $A^{\prime}$ is not equal to $A^{\prime \prime}$, then we have shown that the sequence of the reflection followed by a translation is not equal to the sequence of the translation followed by the reflection. (This is proven in high school Geometry.)
$\qquad$ Date $\qquad$

## Lesson 9: Sequencing Rotations

## Exit Ticket

1. Let Rotation ${ }_{1}$ be the rotation of a figure $d$ degrees around center $O$. Let Rotation ${ }_{2}$ be the rotation of the same figure $d$ degrees around center $P$. Does the Rotation $1_{1}$ of the figure followed by the Rotation ${ }_{2}$ equal a Rotation ${ }_{2}$ of the figure followed by the Rotation ${ }_{1}$ ? Draw a picture if necessary.
2. Angle $A B C$ underwent a sequence of rotations. The original size of $\angle A B C$ Is $37^{\circ}$. What was the size of the angle after the sequence of rotations? Explain.
3. Triangle $A B C$ underwent a sequence of rotations around two different centers. Its image is $\triangle A^{\prime} B^{\prime} C^{\prime}$. Describe a sequence of rigid motions that would map $\triangle A B C$ onto $\triangle A^{\prime} B^{\prime} C^{\prime}$.

$\qquad$ Date $\qquad$

## Lesson 10: Sequences of Rigid Motions

## Exit Ticket

Triangle $A B C$ has been moved according to the following sequence: a translation followed by a rotation followed by a reflection. With precision, describe each rigid motion that would map $\triangle A B C$ onto $\triangle A^{\prime} B^{\prime} C^{\prime}$. Use your transparency and add to the diagram if needed.


