$\qquad$ Date $\qquad$

## Lesson 1: Why Move Things Around?

## Exit Ticket

First, draw a simple figure and name it Figure $W$. Next, draw its image under some transformation (i.e., trace your Figure $W$ on the transparency), and then move it. Finally, draw its image somewhere else on the paper.

Describe, intuitively, how you moved the figure. Use complete sentences.
$\qquad$ Date $\qquad$

## Lesson 2: Definition of Translation and Three Basic Properties

## Exit Ticket

1. Name the vector in the picture below.

2. Name the vector along which a translation of a plane would map point $A$ to its image $T(A)$.
. T(A)

3. Is Maria correct when she says that there is a translation along a vector that maps segment $A B$ to segment $C D$ ? If so, draw the vector. If not, explain why not.

4. Assume there is a translation that maps segment $A B$ to segment $C D$ shown above. If the length of segment $C D$ is 8 units, what is the length of segment $A B$ ? How do you know?
$\qquad$ Date $\qquad$

## Lesson 3: Translating Lines

## Exit Ticket

1. Translate point $Z$ along vector $\overrightarrow{A B}$. What do you know about the line containing vector $\overrightarrow{A B}$ and the line formed when you connect $Z$ to its image $Z^{\prime}$ ?

2. Using the above diagram, what do you know about the lengths of segments $Z Z^{\prime}$ and $A B$ ?
3. Let points $A$ and $B$ be on line $L$ and the vector $\overrightarrow{A C}$ be given, as shown below. Translate line $L$ along vector $\overrightarrow{A C}$. What do you know about line $L$ and its image, $L^{\prime}$ ? How many other lines can you draw through point $C$ that have the same relationship as $L$ and $L^{\prime}$ ? How do you know?

$\qquad$ Date $\qquad$

## Lesson 4: Definition of Reflection and Basic Properties

## Exit Ticket

1. Let there be a reflection across line $L_{A B}$. Reflect $\triangle C D E$ across line $L_{A B}$. Label the reflected image.

## Picture not drawn to scale.


2. Use the diagram above to state the measure of Reflection $(\angle C D E)$. Explain.
3. Use the diagram above to state the length of segment Reflection(CE). Explain.
4. Connect point $C$ to its image in the diagram above. What is the relationship between line $L_{A B}$ and the segment that connects point $C$ to its image?
$\qquad$ Date $\qquad$

## Lesson 5: Definition of Rotation and Basic Properties

## Exit Ticket

1. Given the figure $H$, let there be a rotation by $d$ degrees, where $d \geq 0$, about $O$. Let Rotation $(H)$ be $H^{\prime}$. Note the direction of the rotation with an arrow.

2. Using the drawing above, let Rotation ${ }_{1}$ be the rotation $d$ degrees with $d<0$, about $O$. Let Rotation $(H)$ be $H^{\prime \prime}$. Note the direction of the rotation with an arrow.
$\qquad$ Date $\qquad$

## Lesson 6: Rotations of 180 Degrees

## Exit Ticket

Let there be a rotation of 180 degrees about the origin. Point $A$ has coordinates $(-2,-4)$, and point $B$ has coordinates $(-3,1)$, as shown below.


1. What are the coordinates of Rotation $(A)$ ? Mark that point on the graph so that Rotation $(A)=A^{\prime}$. What are the coordinates of Rotation $(B)$ ? Mark that point on the graph so that Rotation $(B)=B^{\prime}$.
2. What can you say about the points $A, A^{\prime}$, and $O$ ? What can you say about the points $B, B^{\prime}$, and $O$ ?
3. Connect point $A$ to point $B$ to make the line $L_{A B}$. Connect point $A^{\prime}$ to point $B^{\prime}$ to make the line $L_{A^{\prime} B^{\prime}}$. What is the relationship between $L_{A B}$ and $L_{A^{\prime} B^{\prime}}$ ?
